

# *Study of $S=-2$ baryonic states at FLAIR*

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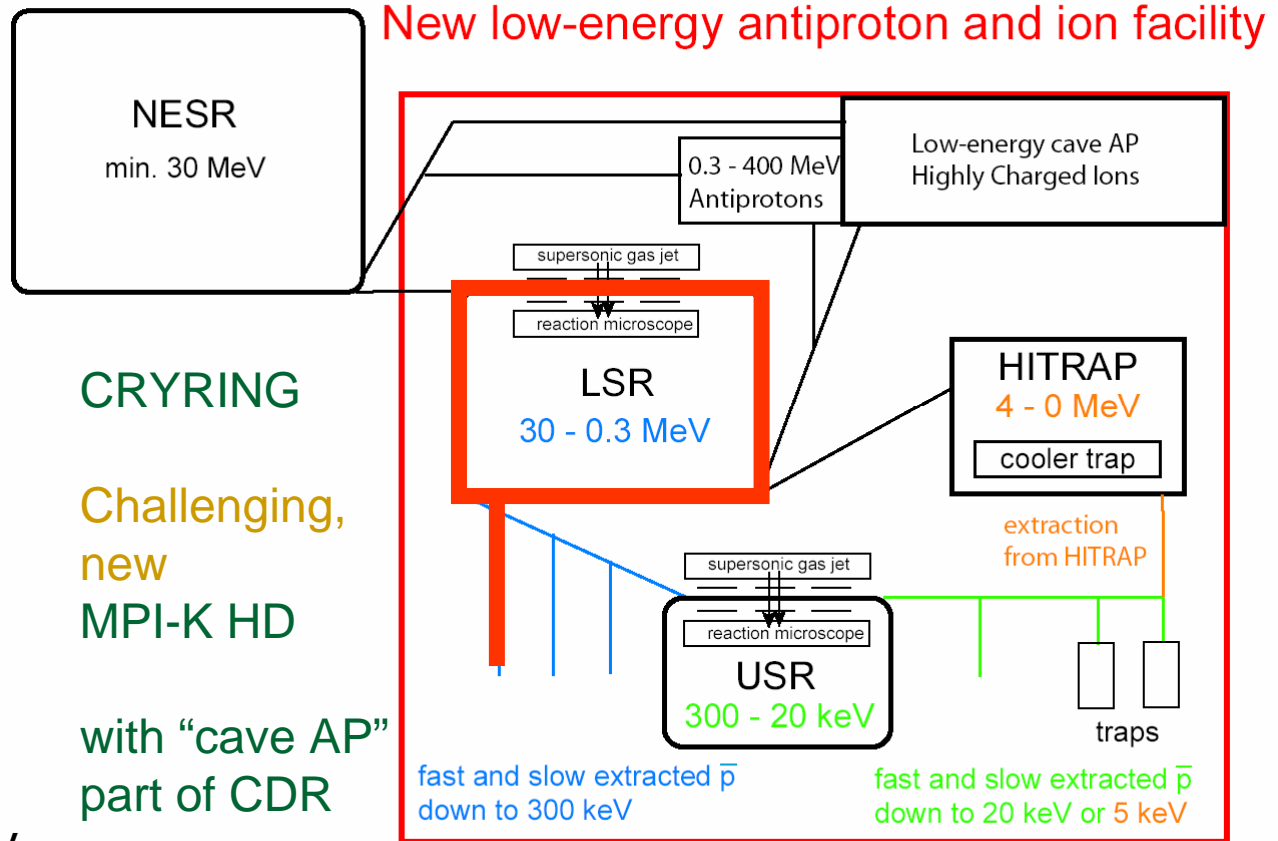
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Contribution to: Nuclear and particle physics with antiprotons  
within the FLAIR LoI

# FLAIR – A Facility for Low-energy Antiproton and Ion Research @ FAIR

- **NESR**
  - Pbar & Ions  
30 – 400 MeV
- **LSR**
  - Standard ring
  - Min. 300 keV
- **USR**
  - Electrostatic
  - Min. 20 keV
- **HITRAP**
  - pbar and ions
  - Stopped & extracted @ 5 keV



**Factor 100 more pbar trapped or stopped in gas targets than now**

# *Production of $S = -2$ baryonic states*

Study of baryon-baryon interaction

→ understanding of the strong interaction

NN

extensive data base  
detailed information

YN

poor data base  
calculations rely on flavour SU(3) symmetry

EN

studies limited to H-dibaryon search ( H : [uu dd ss] )

first proposed by Jaffe (PRL 38, 195, 1977)  
 $m(H) \sim 80 \text{ MeV}/c^2$  below  $\Lambda\Lambda$  threshold

# Studies on H-particle search

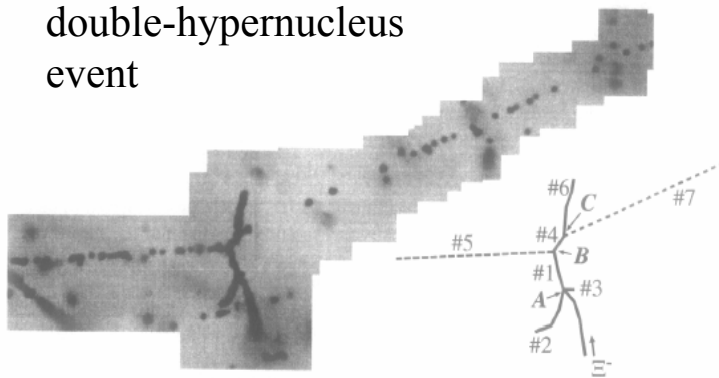
table taken from:  
T. Sakai, K. Shimizu, K. Yazaki  
Prog.Theo.Phys.Suppl. 137 (2000) 121

most effective  $\Xi$  production  
via ( $K^- K^+$ ) double strangeness exchange

## $\Lambda\Lambda$ -hypernuclei production

**KEK E373:** 1.66 GeV/c  $K^- \rightarrow$  emulsion

double-hypernucleus  
event



**AGS E885:** 2 GeV  $K^- : K^- p \rightarrow \Xi^- K^+$   
 $\Xi^- ^{12}\text{C} \rightarrow ^{12}_{\Lambda\Lambda}\text{B} n$   
scintillating fibre array

Collaboration	reaction process (production/decay)	sensitive mass range
BNL E703 <sup>(77)</sup>	$p + p \rightarrow K^+ + K^+ + X$	$M_H = 2.0 \sim 2.5$ GeV
BNL E810 <sup>(86), (87), (104)</sup>	Si + Pb collision / $H \rightarrow \Sigma^- p, \Lambda p \pi^-$	
BNL E813 <sup>(88)- (92), (103), (104), (106)</sup>	$K^- + p \rightarrow K^+ + \Xi^-, (\Xi^- d)_{\text{atom}} \rightarrow H + n$	$-15 < B_H < 80$ MeV
BNL E830 <sup>(105)</sup>	$K^- + {}^3\text{He} \rightarrow K^+ + H + n$	
BNL E836 <sup>(90)- (93), (103), (104), (106)</sup>	$K^- + {}^3\text{He} \rightarrow K^+ + H + n$ $K^- + {}^6\text{Li} \rightarrow K^+ + H + X$	$B_H = 50 \sim 380$ MeV
BNL E864 <sup>(104), (105)</sup>	Au + Pb collision	
BNL E885 <sup>(92), (94), (95), (104)</sup>	$K^- + (p) \rightarrow K^+ + \Xi^-$ , $(\Xi^- A)_{\text{atom}} \rightarrow H + X$ $K^- + A \rightarrow K^+ + X + H$	
BNL E886 <sup>(96), (104)</sup>	Au + Pt collision	
BNL E888 <sup>(97)- (99), (104), (106)</sup>	$p + A \rightarrow H + X / H \rightarrow \Lambda n$ or $\Sigma^0 n$ , $H + A \rightarrow A + A + A$	$M_H < 2150$ MeV
BNL E896 <sup>(100), (104), (105)</sup>	Au + Au collision / $H \rightarrow \Sigma^- p \rightarrow n \pi^- p$ , $H \rightarrow \Lambda p \pi^- \rightarrow p \pi^- p \pi^-$ , $H \rightarrow \Lambda n \rightarrow p \pi^- n$	
BNL E910 <sup>(101)</sup>	$p + A / H \rightarrow \Lambda p \pi^-, H \rightarrow \Sigma^- p$	
BNL STAR <sup>(125), (102)</sup>	Au + Au collision	
KEK E176 <sup>(107)- (109), (115)</sup>	$K^- + (pp) \rightarrow K^+ + H$ $K^- + p \rightarrow K^+ + \Xi^-, \Xi^- + (p) \rightarrow H$	
KEK E224 <sup>(110)- (115)</sup>	$K^- + (pp) \rightarrow K^+ + H$ $K^- + (p) \rightarrow K^+ + \Xi^-, \Xi^- + (p) \rightarrow H$	
KEK E248 <sup>(116)</sup>	$p + p \rightarrow K^+ + K^+ + X$	
Fermilab E791 <sup>(119)</sup>	$H \rightarrow p + \pi^- + \Lambda, \Lambda \rightarrow p + \pi^-$ , $H \rightarrow \Lambda + \Lambda \rightarrow p + \pi^- + p + \pi^-$	
Fermilab KTeV Collab. <sup>(120)</sup>	$p + A / H \rightarrow p + \pi^- + \Lambda$	$M_H = 2194$ $\sim 2231$ MeV
Shahbazian et al. <sup>(79)- (83)</sup>	$p + {}^{12}\text{C} \rightarrow H(H^+) + X /$ $H \rightarrow \Sigma^- + p, \Sigma^- \rightarrow \pi^- n$ $H^+ \rightarrow p + \pi^0 + \Lambda, \Lambda \rightarrow p + \pi^-$ $H^+ \rightarrow p + \Lambda, \Lambda \rightarrow p + \pi^-$	
Alekseev et al. <sup>(84)</sup>	$n + A \rightarrow H + X / H \rightarrow p \pi^- A, \Lambda \rightarrow p \pi^-$	
DIANA Collab. <sup>(117), (118)</sup>	$\bar{p} + \text{Xe} \rightarrow K^+ H X, K^+ K^+ H X /$ $H \rightarrow \Sigma^- + p$	
Condo et al. <sup>(78)</sup>	$\bar{p} + A \rightarrow H + X / H \rightarrow \Sigma^- + p$	
Ejiri et al. <sup>(85)</sup>	$d \rightarrow H + \beta + \nu, {}^{10}\text{Be} \rightarrow {}^8\text{Be} + H$ , ${}^{72}\text{Ge} \rightarrow {}^{70}\text{Ge} + H + \gamma, {}^{127}\text{I} \rightarrow {}^{125}\text{I} + H + \gamma$ , ${}^{127}\text{I} \rightarrow {}^{125}\text{Te} + H + \beta^+ + \nu$	$M_H < 1875.1$ MeV
CERN NA49 <sup>(121)</sup>	Pb + Pb collision / $H \rightarrow \Sigma^- p, \Lambda p \pi^-$	
CERN WA89 <sup>(122)</sup>	$\Sigma^- + A \rightarrow X + H / H \rightarrow \Lambda\Lambda, N\Xi$ , $H \rightarrow \Lambda p \pi^-, \Sigma^- p, \Sigma^0 n, \Lambda n$	
CERN WA97 <sup>(123)</sup>	Pb + Pb collision	
CERN ALICE <sup>(125)</sup>	Pb + Pb collision	
CERN OPAL <sup>(124)</sup>	$Z^0$ decay	

## $\Xi$ – Production data:

$K^- p \rightarrow \Xi K (\pi)$

properties of  $\Xi^0$  and  $\Xi^-$

Heavy ion collisions  $\rightarrow$   
(AGS, SPS, RHIC)

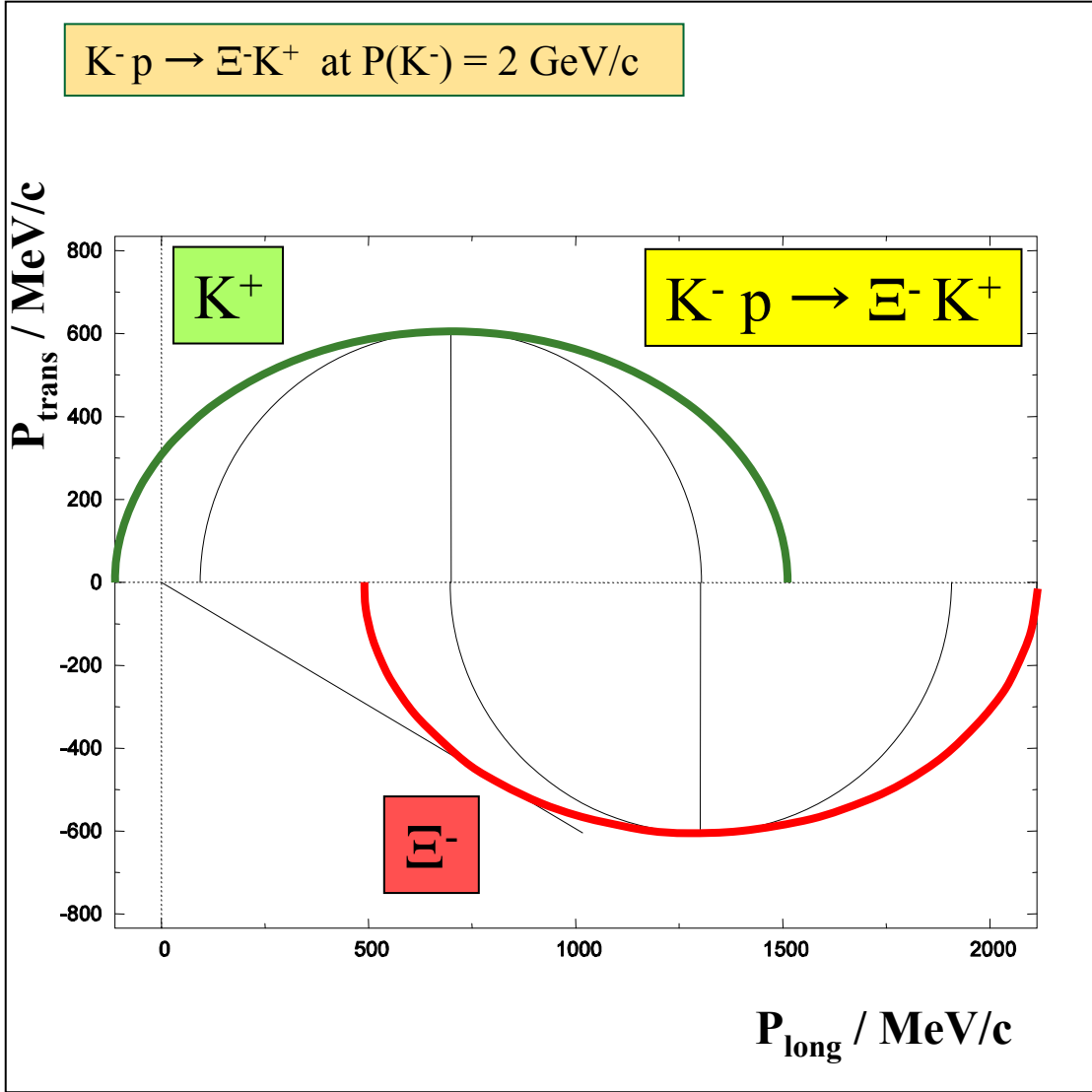
multistrange yields  
( QGP )

$\Sigma A \rightarrow \Xi(*) X$   
WA89, CERN

spectrum of  $\Xi$   
excited states

$\gamma p \rightarrow K^+ K^+ \Xi^{-(0)} (\pi^-)$   
CLAS , JLAB

K-K<sup>+</sup> double strangeness exchange using a K<sup>-</sup> beam



→ Ξ<sup>-</sup> ‘beam’  $\tau(\Xi^-) = 1.6 \cdot 10^{-10} \text{ s}$   
 $P_{\text{lab}}(\Xi^-) > 500 \text{ MeV}/c$

stopped Ξ<sup>-</sup> ( $P_{\text{lab}}(\Xi^-) = 0$ )  
 interact with target nuclei



produce stopped Ξ<sup>-</sup>  
 with  $P_{\text{lab}}(\Xi^-) = 0$

→ not possible !

# double strangeness exchange using $\bar{p}$ p annihilation

$(s, \bar{s})$



$$K^- = \bar{u} s$$

$$\bar{K}^0 = \bar{d} s$$

$$K^{*-} = \bar{u} s$$

$$\bar{K}^{*0} = \bar{d} s$$

annihilation  
channel

$$\bar{p} p \rightarrow K^+ K^-$$

$$\bar{p} p \rightarrow K^0 \bar{K}^0$$

$$\bar{p} p \rightarrow K^{*+} K^{*-}$$

$$\bar{p} p \rightarrow K^{*0} \bar{K}^{*0}$$

$$\bar{p} p \rightarrow K \bar{K}^*$$

branching  
ratio

$$1 \cdot 10^{-3}$$

$$3 \cdot 10^{-3}$$

$$1.5 \cdot 10^{-3}$$

$$3 \cdot 10^{-3}$$

$$1 \cdot 10^{-3}$$

kaon  
momentum

$$P(K^-) = 780 \text{ MeV}/c$$

$$P(\bar{K}^0) = 780 \text{ MeV}/c$$

$$P(K^{*-}) = 290 \text{ MeV}/c$$

$$P(\bar{K}^{*0}) = 290 \text{ MeV}/c$$

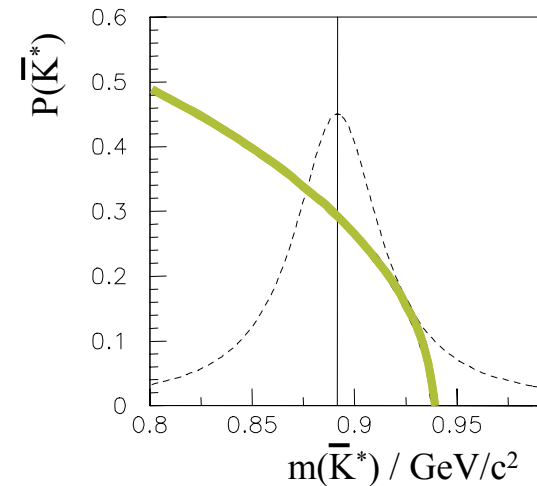
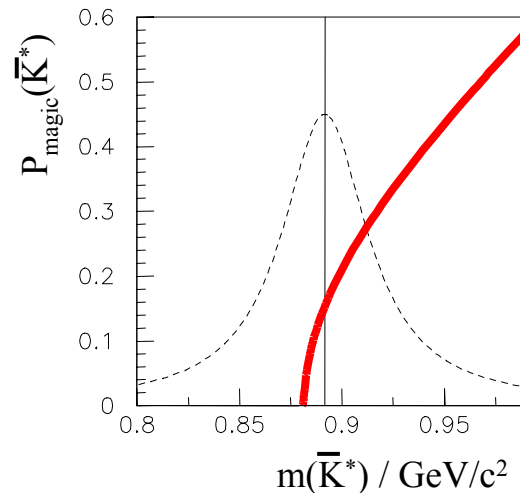
$$P(\bar{K}^*) = 620 \text{ MeV}/c$$

$\bar{K}^* N \rightarrow \Xi K$

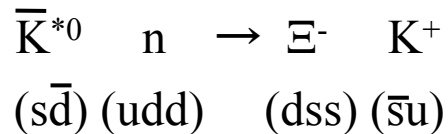
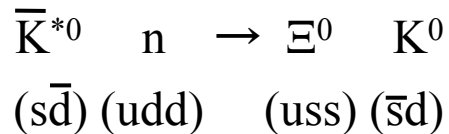
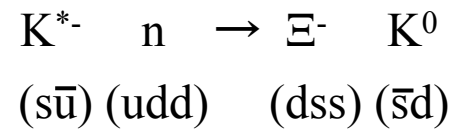
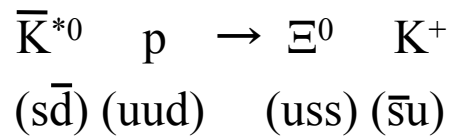
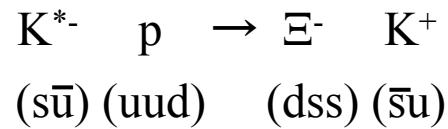
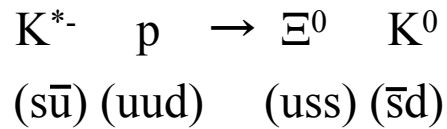
$$P(\bar{K}^*) = P_{\text{magic}}$$



$$P(\Xi)_{\text{lab}} = 0$$



# Reaction channels for $\Xi$ production via $(\bar{K}^*, K)$



$$\Xi^0 \rightarrow \Lambda \pi^0 \quad (99.5 \%)$$

$$c\tau = 8.71 \text{ cm}$$

$$\Xi^- \rightarrow \Lambda \pi^- \quad (99.9 \%)$$

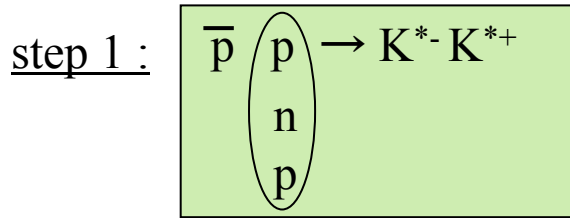
$$c\tau = 4.91 \text{ cm}$$



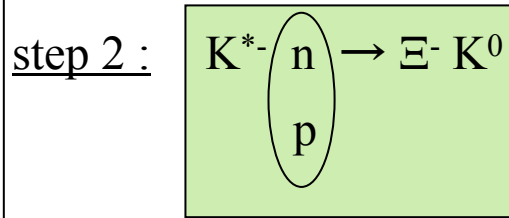
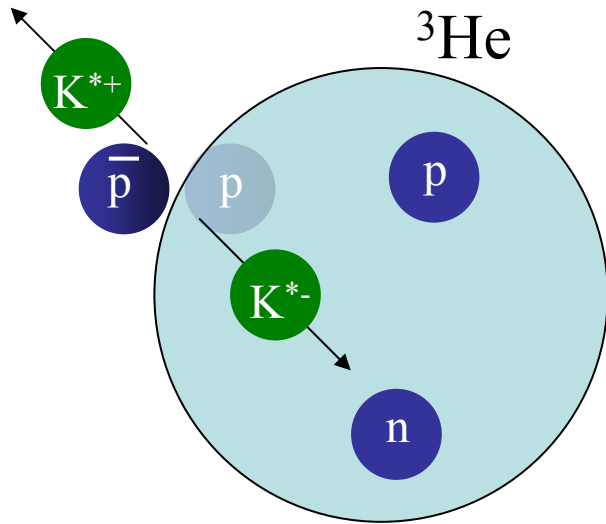
# Production of $S = -2$ baryonic states

via  $(\bar{K}^*, K)$  using stopped  $\bar{p}$

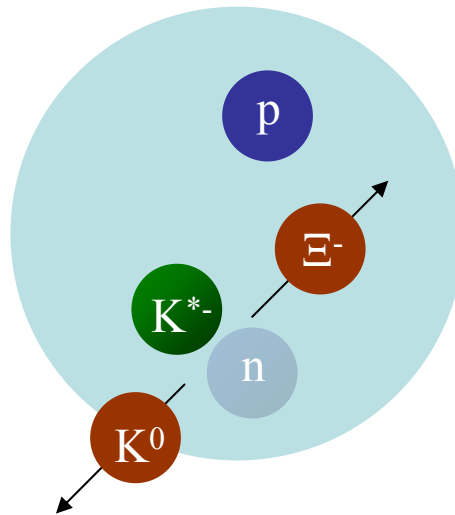
e.g. :



large  $\bar{p}$  stop rate on a  ${}^3\text{He}$  target

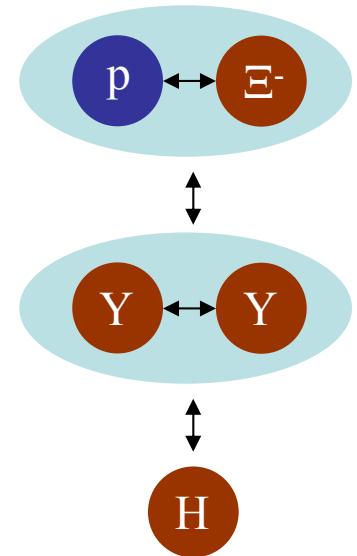


very low recoil on  $\Xi^-$   
(recoil free kinematics)



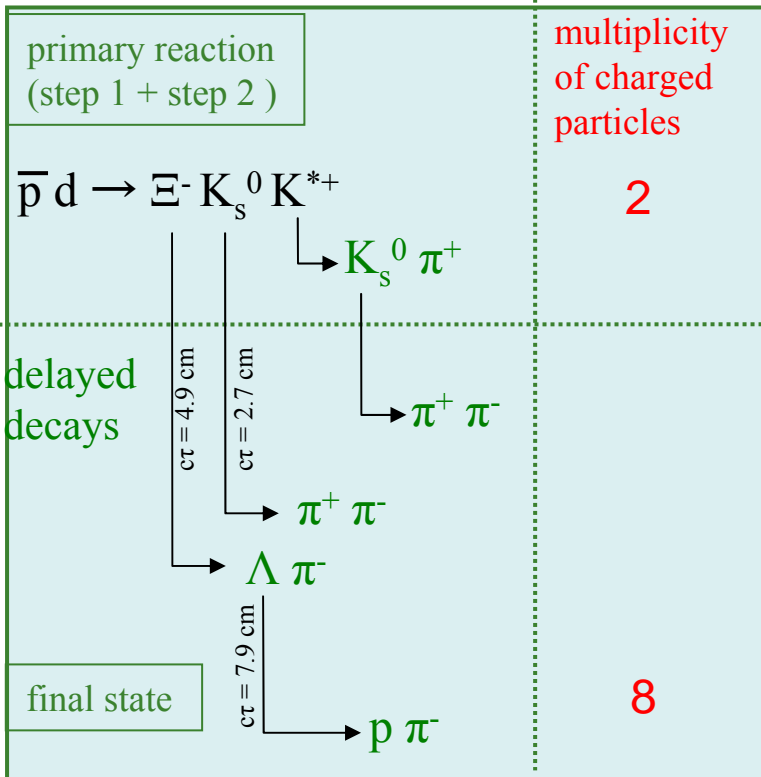
$S = -2$  states

low relative energy



# Production of $S = -2$ baryonic states

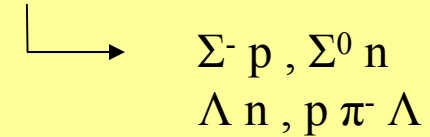
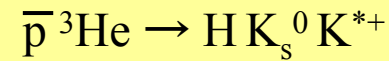
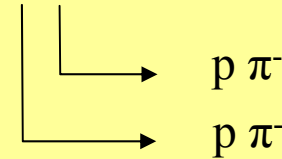
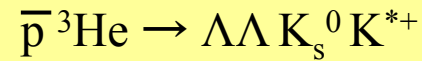
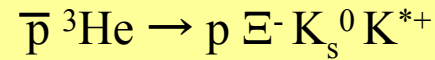
## $\Xi^-$ production



→ reaction trigger = multiplicity increase

geometry → event reconstruction

## $\Xi^-$ p interaction



# Production of $S = -2$ baryonic states

## detector

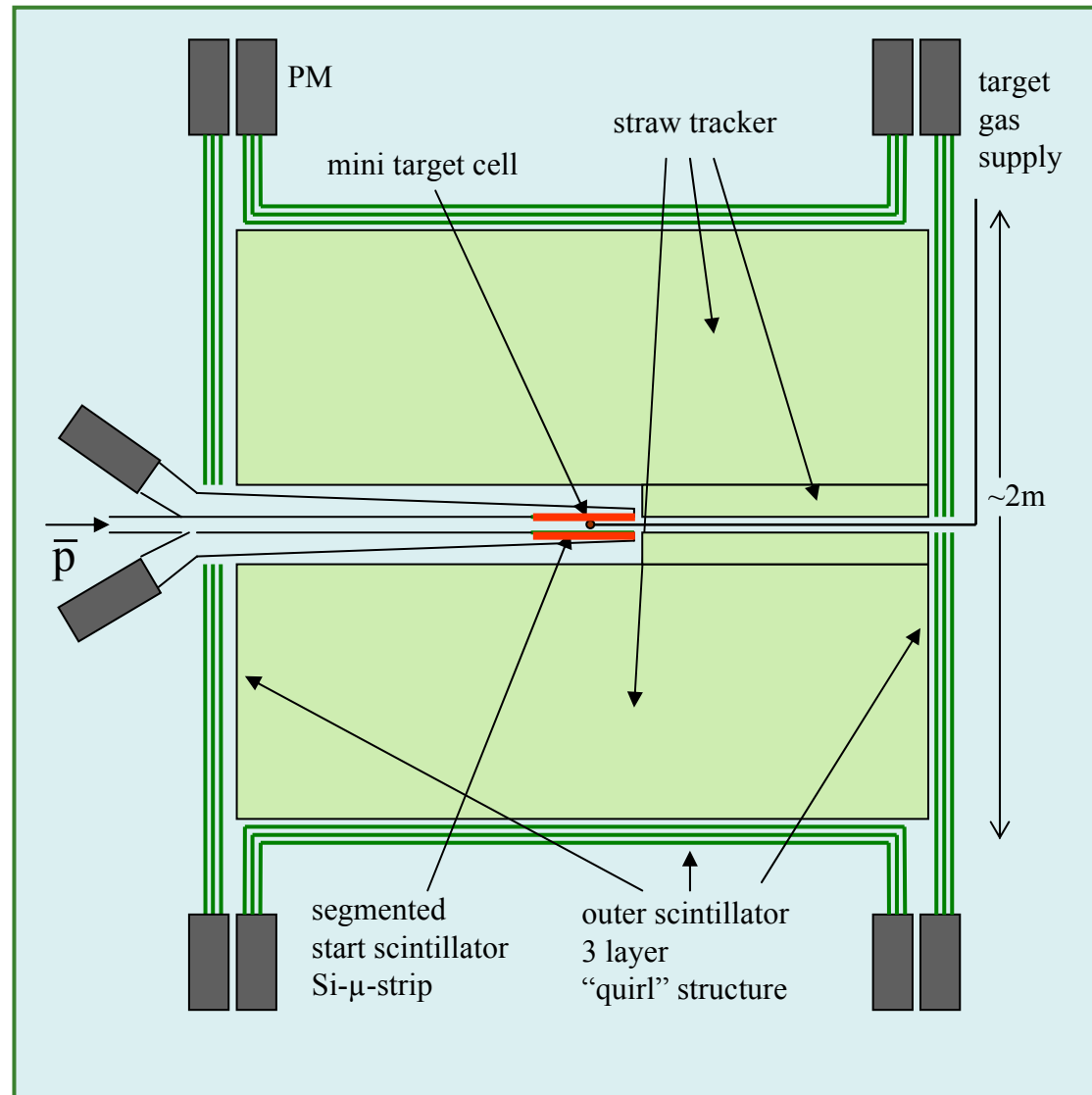
plastic scintillator layer

1. close to the target
2.  $\sim 1\text{m}$  distance

→ multiplicity trigger  
timing

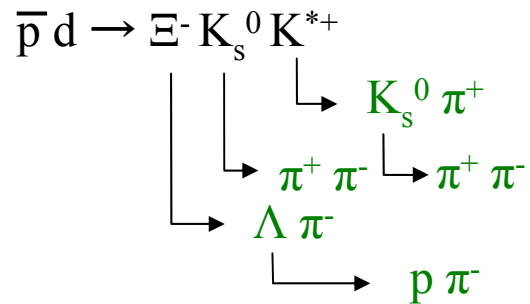
3-d tracking detector  
straw tubes  
in different directions

→ tracks of  
charged particles  
decay vertices



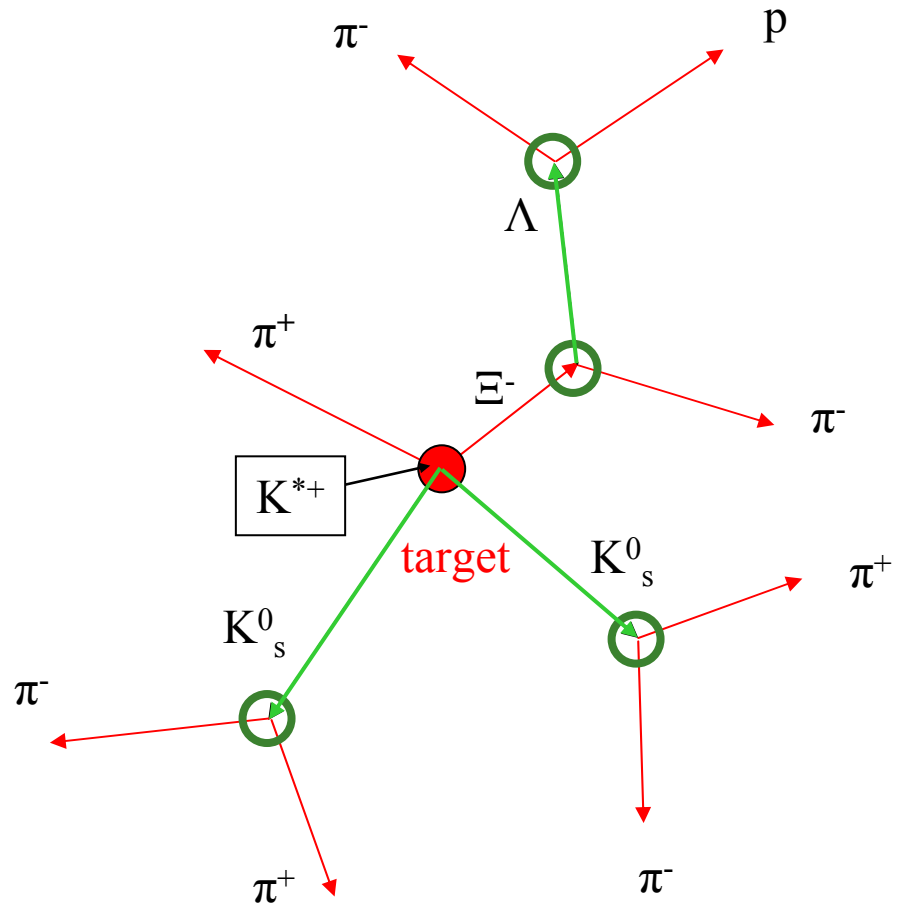
# Production of $S = -2$ baryonic states

## Event reconstruction

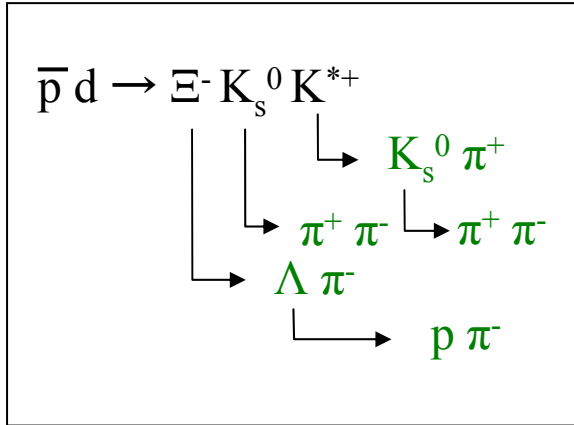


geometry

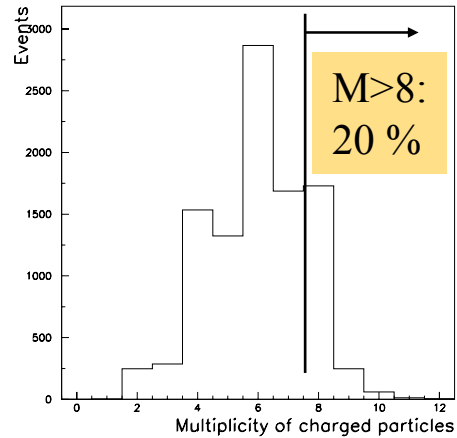
→ kinematical  
complete  
event reconstruction



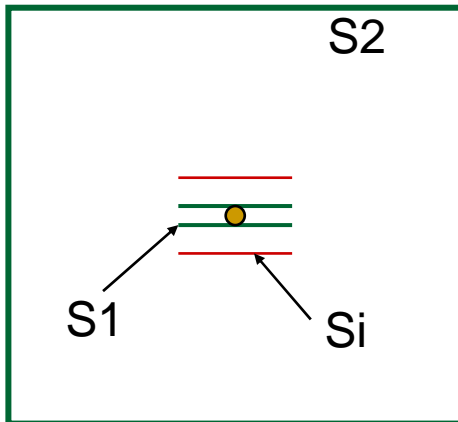
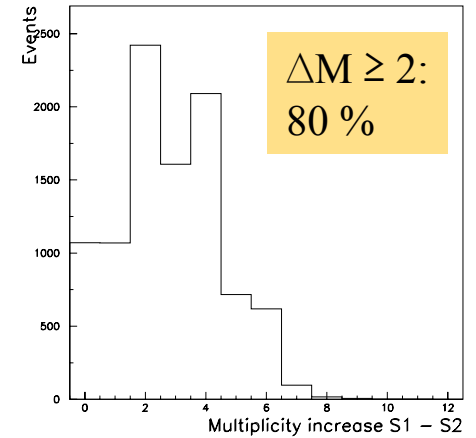
# Production of $S = -2$ baryonic states



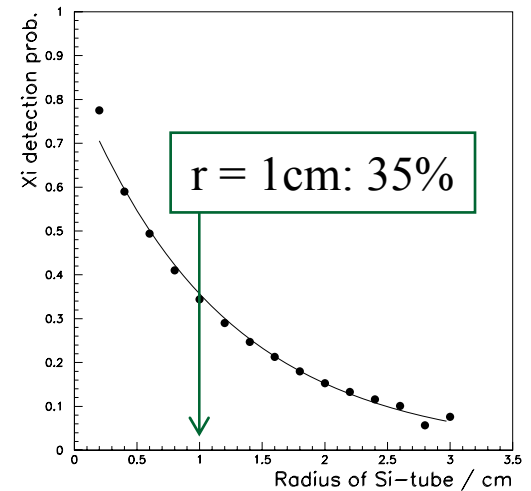
multiplicity of charged particles in S2



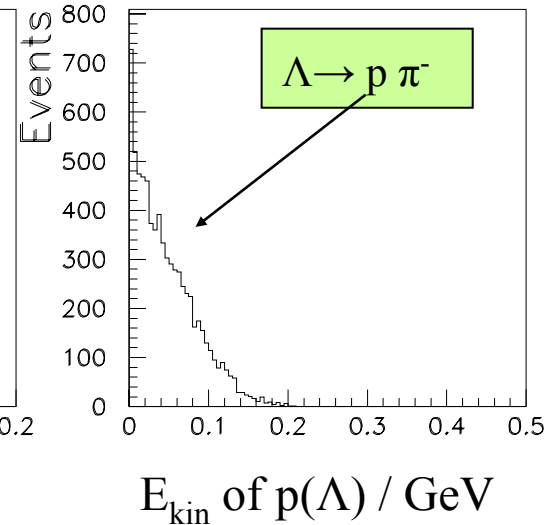
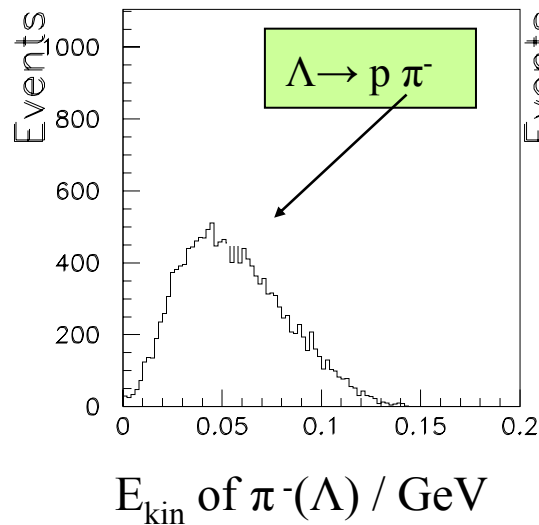
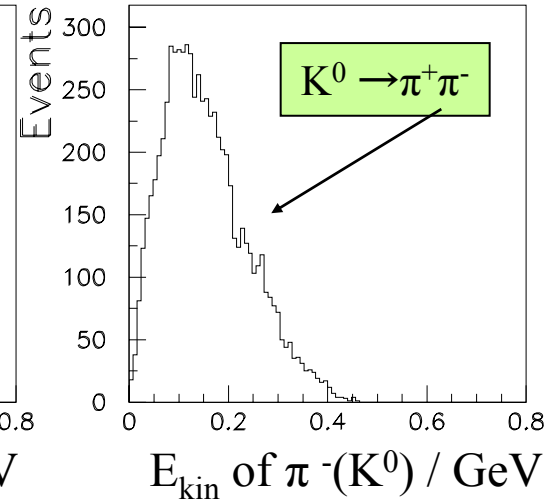
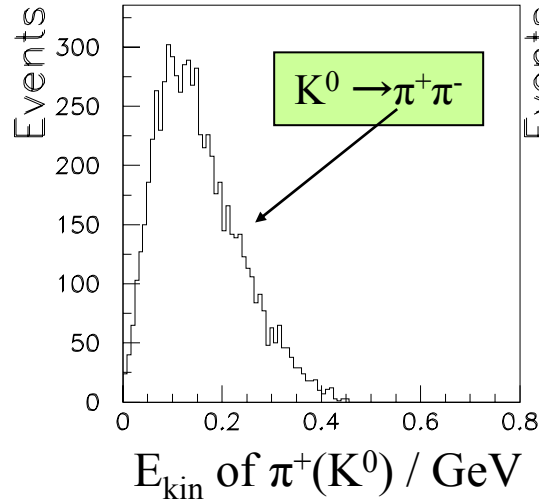
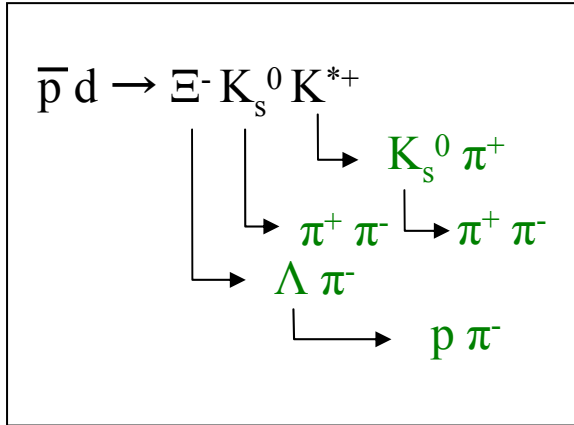
multiplicity increase  $S1 \rightarrow S2$



efficiency of  $\Xi^-$  to pass Si



# Production of $S = -2$ baryonic states



# *Production of $S = -2$ baryonic states*

## Rate estimates

Beam :  $3 \cdot 10^5$  p/s stopped in  $^3\text{He}$  target

annihilation BR into  $\bar{K}^*K^* \sim 3 \cdot 10^{-3}$


0.3 of  $\bar{K}^*$  hit remaining 2N system

0.5 of  $\bar{K}^*$  survive until interaction

$\sigma(\bar{K}^*N \rightarrow K \Xi) / \sigma(\bar{K}^*N \rightarrow X) > 10^{-3}$

trigger efficiency  $\sim 20\%$

$\Xi$  detection efficiency  $\sim 35\%$

 800  $\Xi$  / day

# Summary

## *Production of $S = -2$ baryonic states*

- *stopped  $\bar{p}$  annihilation efficient source for low momentum  $\bar{K}^*$* 
  - $K^*$  momenta well matched for  $\Xi$  production in recoil-free kinematics
  - recoil-free kinematics results in strongly interacting  $\Xi N$  systems
- *event reconstruction by geometry*
  - “simple“ detector configuration
- *high production rates*
  - detailed studies possible